

**Genetic Drift:** the tendency for allele frequencies to change as a result of random sampling error in a small population.

**Drift assumptions:**

- 1.) even sex ratio
- 2.) non-overlapping generations
- 3.) constant population size

\*\* In an ideal population, none of these assumptions are violated.

## With genetic drift:

- 1.) the genotype composition of allele frequencies of the offspring generation cannot be predicted....
- 2.) but, on average the allele frequencies do not change.
- 3.) like a random walk, eventually one of the two alleles will be lost. Genetic drift always causes loss of diversity.
- 4.) which allele is lost is random, but the chance that an allele will go to fixation is exactly equal to its frequency in the population.
- 5.)
  - a. magnitude or importance of drift is inversely proportional to population size.
  - b. variance or uncertainty in allele frequency change is equal to  $1/N$ .
  - c. loss of diversity expected by  $4N$  generations.
- 6.) coalescence: all alleles will eventually share a single common ancestor.
- 7.) drift in independent populations will lead to loss of different alleles. Drift leads to divergence between populations.

...but most populations are not ideal.

The effective population size,  $N_e$  = the size of an ideal population with the same properties as our real population.

Calculating  $N_e$  for a population with an unequal sex ratio.

$$N_e = \frac{4N_m N_f}{N_m + N_f}$$

\*\*\*\*\*Always use  $N_e$  when doing any calculations!

$4N_e$  = number of expected generations before loss of genetic diversity.

$1/N_e$  = variance or uncertainty in allele frequency.

Migration requirements:

- 1.) must be born in one population and move to another.
- 2.) must reproduce in new population.

Migration Rate ( $m$ ) = fraction of population composed of individuals born in a different population.

If  $P$  = the frequency of an allele in a given population,  $P_m$  = the frequency the allele in the home population of the migrants, and  $m$  = the migration rate, then the allele frequency in the next generation,  $P'$  is:

$$P' = P(1-m) + P_m m$$

# Drift and Migration

Drift cause the divergence of populations, while migration makes populations more similar...

So, what happens to the frequency of alleles in a population when both forces are acting?

If  $N_e$  is small and migration is rare, ie.  $2N_e m < 1$ , the populations with diverge. In this case drift has more of an effect on the population than migration.

If  $N_e$  is large and migration is common, ie.  $2N_e m > 1$ , the populations will become more similar. In this case migration has more of an effect on the population than drift.

What would you expect to happen to allele frequencies in a population if drift and migration had equal effect?